

***Development alternatives to improve Optitek  
computing capabilities***

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## ***Problem statement***

Optitek is a softwood and hardwood ***lumber production simulator***. It simulates precisely the various physical transformations of logs, work-in-process, and lumber pieces.

In order to do so it must ***simulate how every machining centre is programmed*** to carry out its sawing operations.

In particular it must replicate how these machining centres ***optimize the relative positions of their blades with respect to the wood***.

This implies that ***Optitek must compute the revenue associated to each position within a huge set of such positions***, many of which are inferior.

Future manufacturing developments include even ***more detailed information*** that will have to be incorporated (e.g., internal log defects).

## ***Problem statement***

How do we reduce the number of relative positions to be investigated (i.e., the so-called search space), thereby reducing the computation time?

## ***Initial thoughts***

Two general directions should be investigated:

1. Replacing the true shapes of logs by simplified shapes, ***so as to introduce symmetries.***

This enables the reduction of the search space (i.e., many solutions become identical).

This idea is being tested by FPIinnovations.

2. ***Start the optimization for a given log (within the simulation) with a near-optimal first solution:***

This enables the pruning of a large number of inferior solutions. This is the focus of our work.

## ***Find a good initial position for a log***

Again, two specific directions can be investigated:

- 1. Finding the best position for a specific log by maximizing the volume of a shape that approximates the sawing operation.***

This implies the development of an algorithm optimizing the dimension and position of the shape (to be defined) with respect to shape constraints and the true dimensions of the log.

- 2. Learning the log position that maximizes the actual sawing output.***

This implies the development of machine learning algorithms and the use of a large database of Optitek simulation results describing how logs characteristics and position influence the lumber output.

# *Learn the log position that maximizes the lumber output*

We propose a work plan to carry out such a complex project.

Defining  
objectives

1. Identify the problem statement, the objectives, and a detailed research methodology.

1. Description of the current situation and a detailed research method.

Data  
collection and  
experiments

2. Collect the data, the model variables and parameters; design the data base.

2. Data base, preprocessed data, design of experiments, simulation results.

Design  
machine  
learning

3. Design and implement machine learning algorithms.

3. implemented machine learning algorithms.

# *Learn the log position that maximizes the lumber output*

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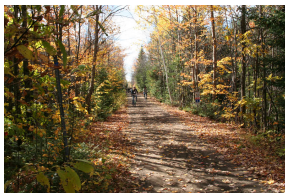
- |                          |   |                                       |
|--------------------------|---|---------------------------------------|
| Test, analyze<br>results | 4. Train the machine learning algorithm and compare the results with other approaches (including with the maximal volume one) | 4. Comparative study, recommendations |
| Improve<br>Optitek       | 5. Add algorithm to Optitek   | 5. Efficient Optitek                  |

# Maximizing the Volume of a Structured Shape Within a Log

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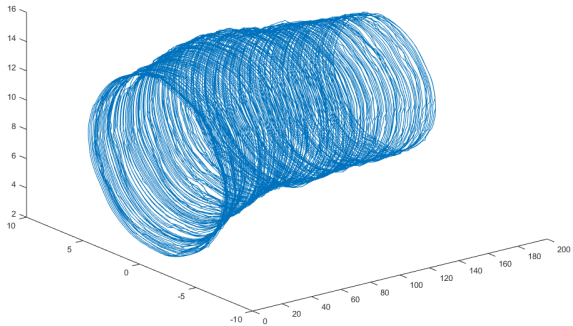
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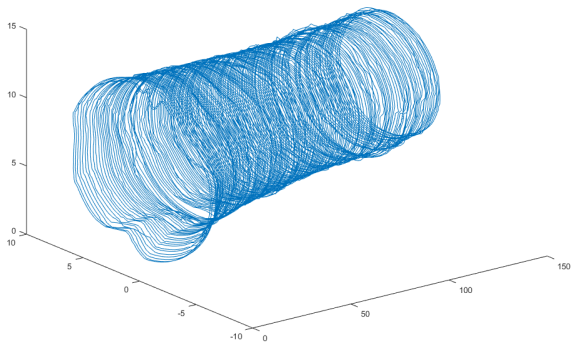




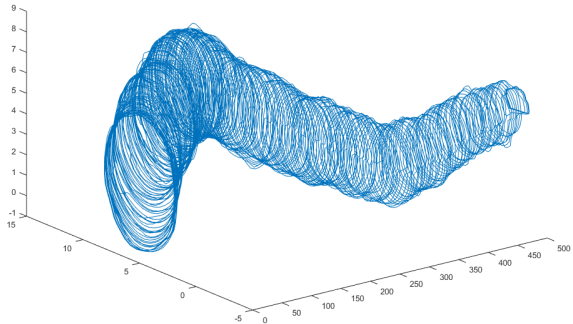
# Diverse log shapes



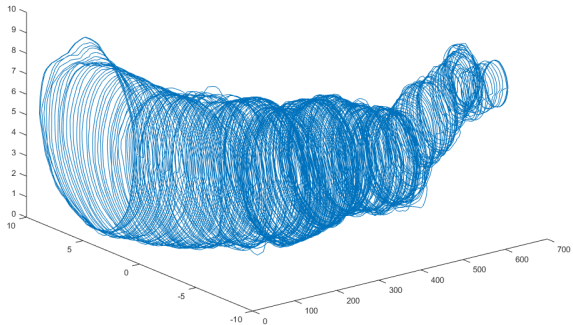
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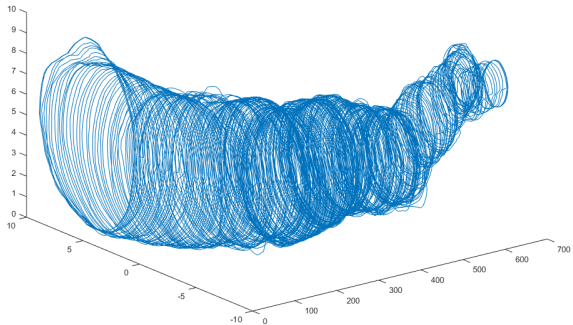
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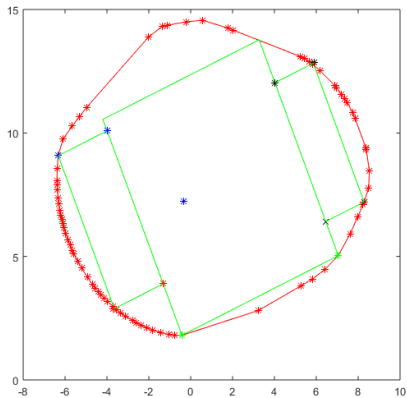
# Diverse log shapes



# Diverse log shapes



# Idea underlying the algorithm (in the 2D case)



## Pseudocode of the algorithm

- Select the largest slice of the log.
- Consider each pair of vertices  $\{p_1, p_2\}$  on the polygon (such that the line segment joining those two points is entirely contained within the slice).
- Build the largest rectangle  $\{p_1, p_2, p_4, p_3\}$  defined by  $p_1$  and  $p_2$  and contained within the slice. (At least one of  $p_3$  and  $p_4$  is on the boundary of the polygon).
- Let the saw cut the log along  $p_1p_3$  and along  $p_2p_4$ .
- Build a rectangle of maximal area with one side included in  $p_1p_3$  and such that its interior is disjoint from the rectangle  $\{p_1, p_2, p_4, p_3\}$ .
- Build a rectangle of maximal area with one side included in  $p_2p_4$  and such that its interior is disjoint from the rectangle  $\{p_1, p_2, p_4, p_3\}$ .

- The algorithm considers every partition into three rectangles, one for each pair of points, and chooses the partition yielding the maximum sum of the three rectangle areas.
- This is better than considering all combinations of positions and angles.
- Finding the optimal solution enables one to select the orientation of the log in the machine centre.



- Extend the algorithm to the 3D case.
- Introduce dynamic programming to save time.
- Take the wane into account.
- Propose a mathematical model (?).

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